

Chapter 2 Introduction

Practice with Evaluating and Solving
Equations/Functions

PROBLEM 1 A New Way to Write Something Familiar



Functions can be represented in a number of ways. An equation representing a function can be written using *function notation*. **Function notation** is a way of representing functions algebraically. This form allows you to more efficiently identify the independent and dependent quantities. The function $f(x)$ is read as “ f of x ” and indicates that x is the independent variable.

Let's look at the relationship between an equation and function notation.

Remember, you can only write *functions* in function notation. So sorry, non-functions! You'll still need to be written as equations.



Consider orders for a custom T-shirt shop. U.S. Shirts charges \$8 per shirt plus a one-time charge of \$15 to set a T-shirt design. The equation $y = 8x + 15$ can be written to model this situation. The independent variable x represents the number of shirts ordered, and the dependent variable y represents the total cost of the order, in dollars.

You know this is a function because for each number of shirts ordered (independent value) there is exactly one total cost (dependent value) associated with it.

Because this situation is a function, you can write $y = 8x + 15$ in function notation.

$$f(x) = 8x + 15$$

The cost, defined by f , is a function of x , the number of shirts ordered.

A common way to name a function is $f(x)$. However, you can choose any variable to name a function. You could write the T-shirt cost function as $C(s) = 8s + 15$, where the cost, defined as C , is a function of s , the number of shirts ordered.

You can use any two letters to write or name a function!!!!

Problem Set

Rewrite each function using function notation.

1. Rewrite the function $y = 3x - 8$ using function notation so that the dependent quantity, defined as f , is a function of the independent quantity x .

$$f(x) = 3x - 8$$

2. Rewrite the function $y = 3x^2 + 6x - 1$ using function notation so that the dependent quantity, defined as C , is a function of the independent quantity x .

$$C(x) = 3x^2 + 6x - 1$$

3. Rewrite the function $y = 3^x + 8$ using function notation so that the dependent quantity, defined as P , is a function of the independent quantity x .

$$P(x) = 3^x + 8$$

4. Rewrite the function $l = |n - 2|$ using function notation so that the dependent quantity, defined as L , is a function of the independent quantity n .

$$L(n) = |n - 2|$$

5. Rewrite the function $d = -\frac{1}{2}m + 5$ using function notation so that the dependent quantity, defined as A , is a function of the independent quantity m .

$$A(m) = -\frac{1}{2}m + 5$$

Evaluate each of the following.

1. $2a + 4$ when $a = 5$

14

2. $3w - 2$ when $w = -8$

-26

3. $f(x) = 4x + 9$ when $x = 2$

17

4. $f(x) = 2x - 4$ when $x = -1$

-6

Solve each equation.

1. $x - 4 = -9$

$x = -5$

2. $\frac{n}{6} = 5$

$x = 30$

3. $5c = -15$

$x = -3$

4. $6a + 2 = -4$

$x = -1$

5. $\frac{r}{4} + 3 = 9$

$x = 24$

6. $3(k + 8) = 21$

$x = -1$

Substitute and solve for x in each of the following.

1. $f(x) = x - 4$ when $f(x) = 10$

$x = 14$

2. $f(x) = 2x + 28$ when $f(x) = 328$

$x = 150$

3. $f(x) = 4x - 10$ when $f(x) = 86$

$x = 24$

4. $f(x) = x + 4$ when $f(x) = 2x - 8$

$x = 12$